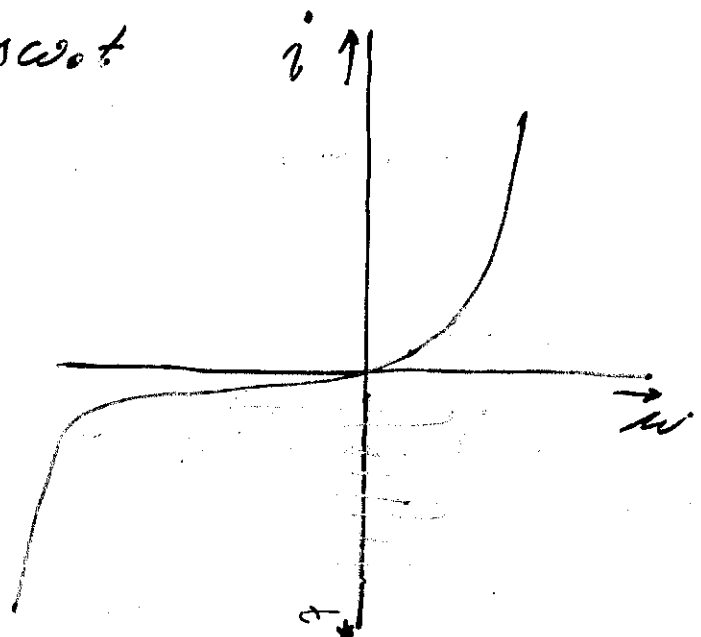
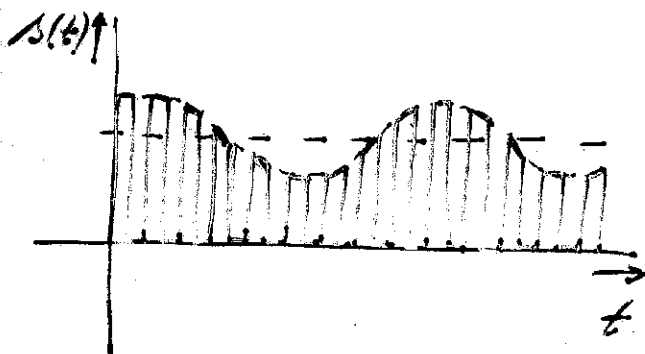
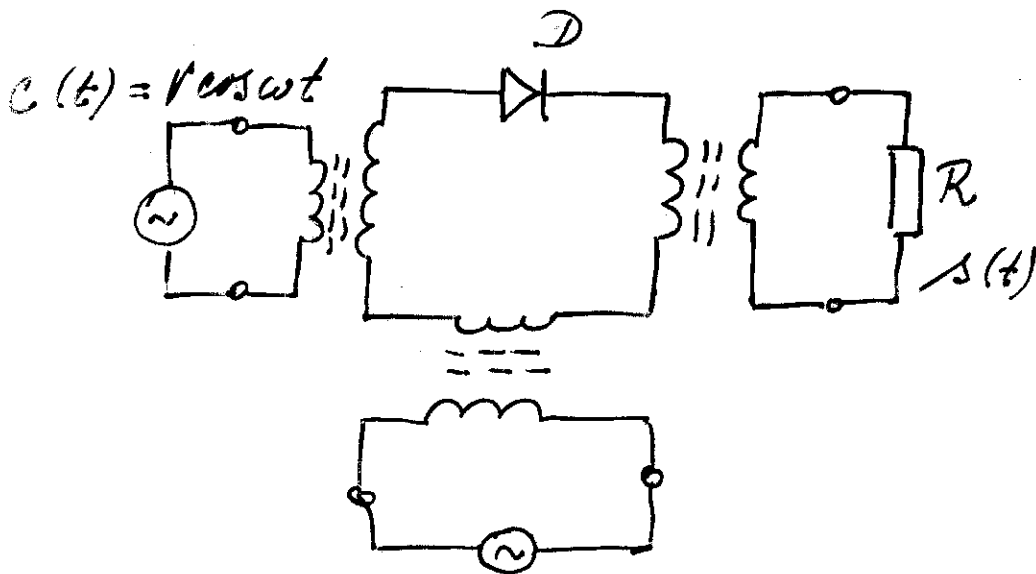


Modulátory

Amplitúdové modulátory

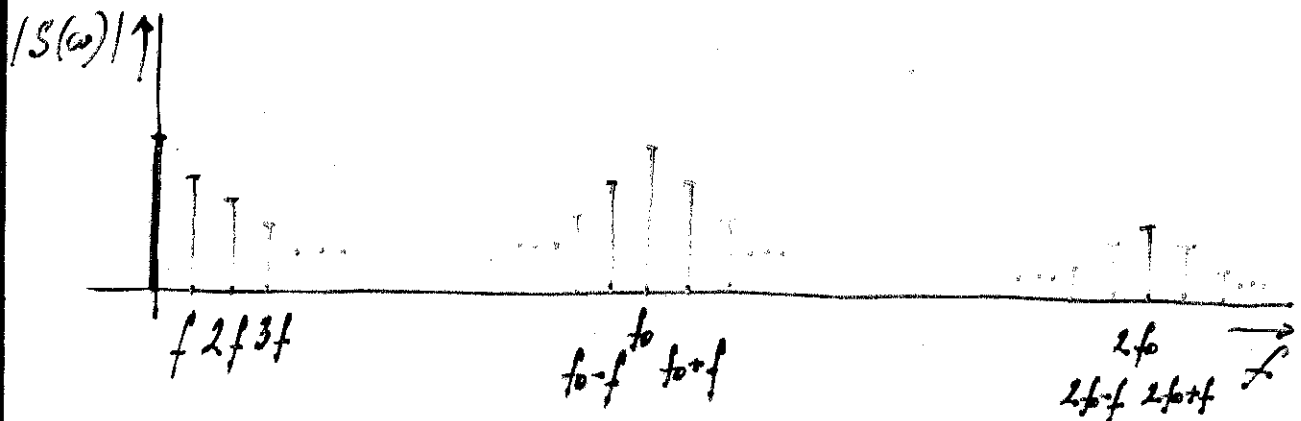
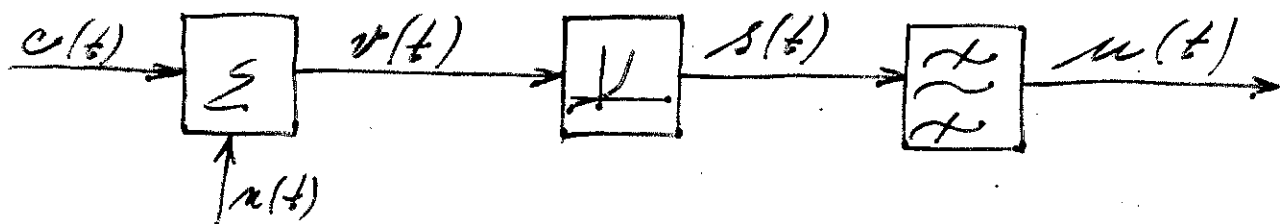
$$c(t) = V \cos \omega t$$
$$m(t) = A \cos \omega_0 t$$



$$v(t) = V \cos \omega t + A \cos \omega_0 t$$

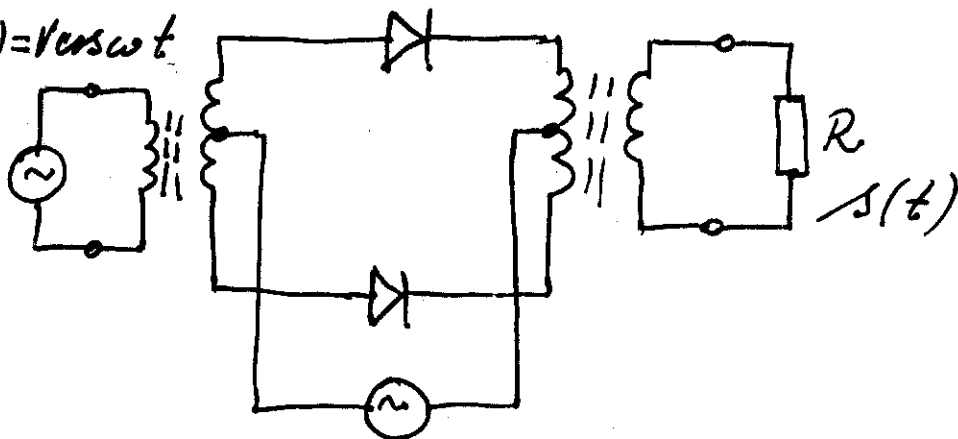
$$s(t) = a_1 v(t) + a_2 v^2(t) + a_3 v^3(t) + \dots$$

$$\begin{aligned} s(t) &= a_1 v(t) + a_2 v^2(t) = a_1 (V \cos \omega t + A \cos \omega_0 t) + \\ &\quad + a_2 (V \cos \omega t + A \cos \omega_0 t)^2 = \\ &= a_1 V \cos \omega t + a_1 A \cos \omega_0 t + a_2 V^2 \cos^2 \omega t + 2 a_2 V A \cos \omega t \cos \omega_0 t + \\ &\quad + a_2 A^2 \cos^2 \omega_0 t = \underline{a_1 V \cos \omega t} + \underline{a_1 A \cos \omega_0 t} + \frac{1}{2} a_2 V^2 + \\ &\quad + \frac{1}{2} a_2 V^2 \cos 2\omega t + \underline{a_2 V A \cos(\omega_0 - \omega)t} + \underline{a_2 V A \cos(\omega_0 + \omega)t} + \\ &\quad + \frac{1}{2} a_2 A^2 + \frac{1}{2} a_2 A^2 \cos 2\omega_0 t \end{aligned}$$

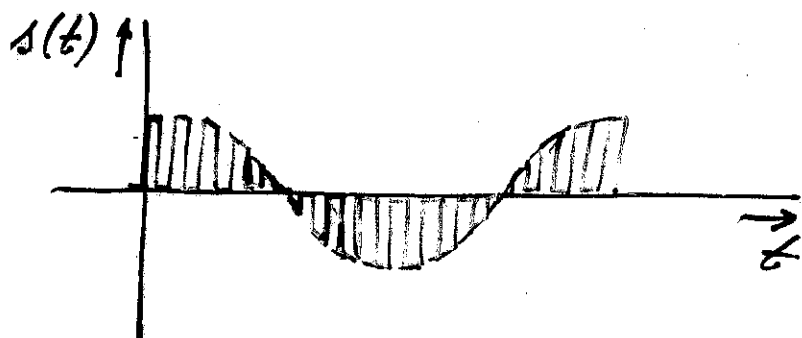


Vyvášoucí modulator

$$c(t) = V \cos \omega t$$

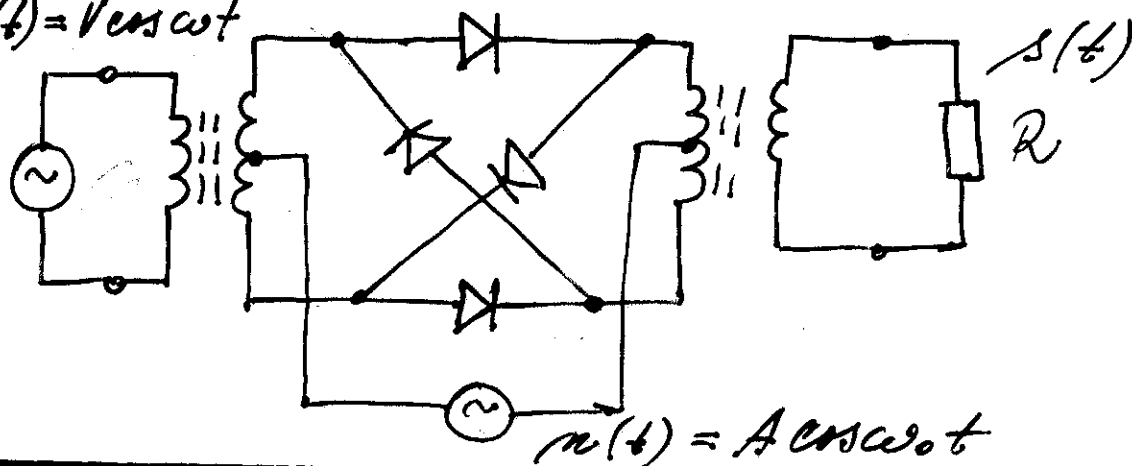


$$m(t) = A \cos \omega_0 t$$

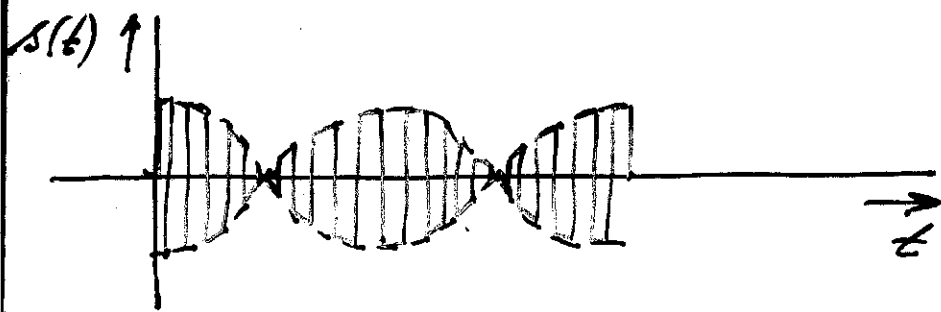


Dvojitý vyvášoucí modulator

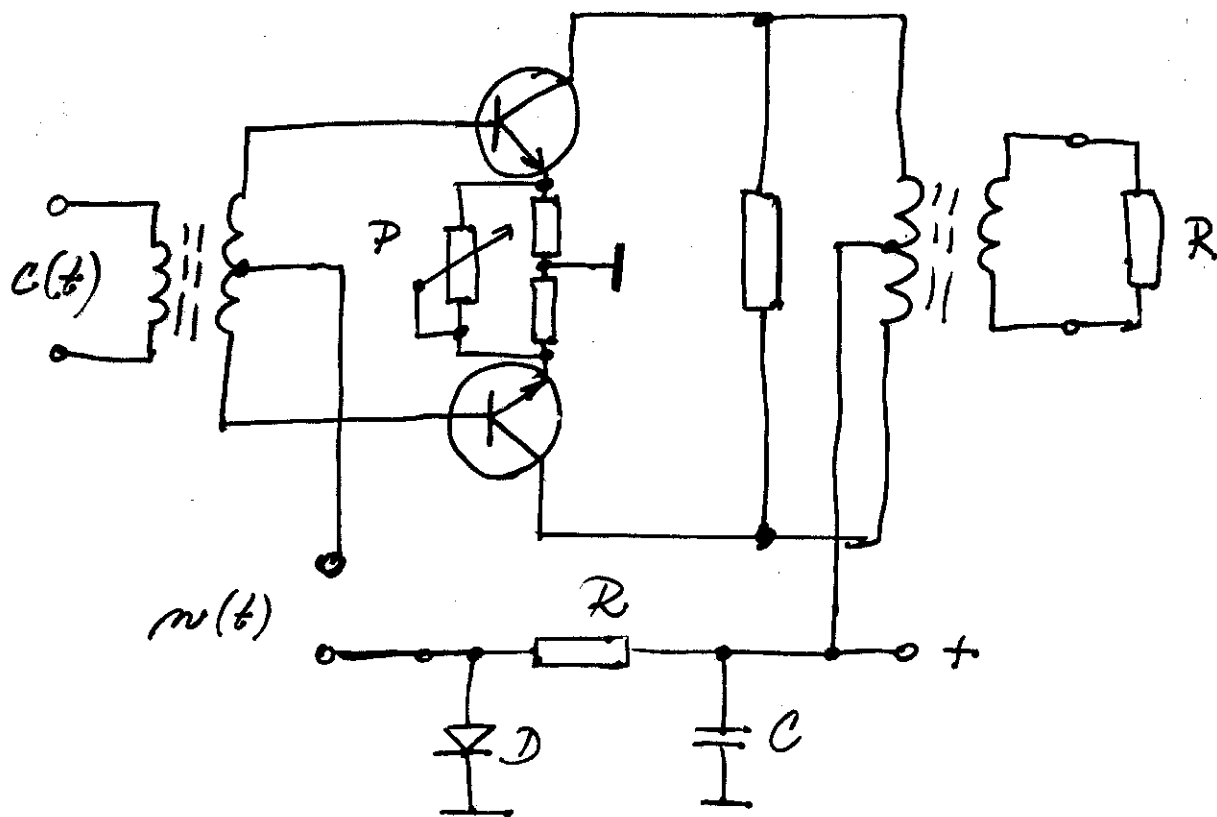
$$c(t) = V \cos \omega t$$

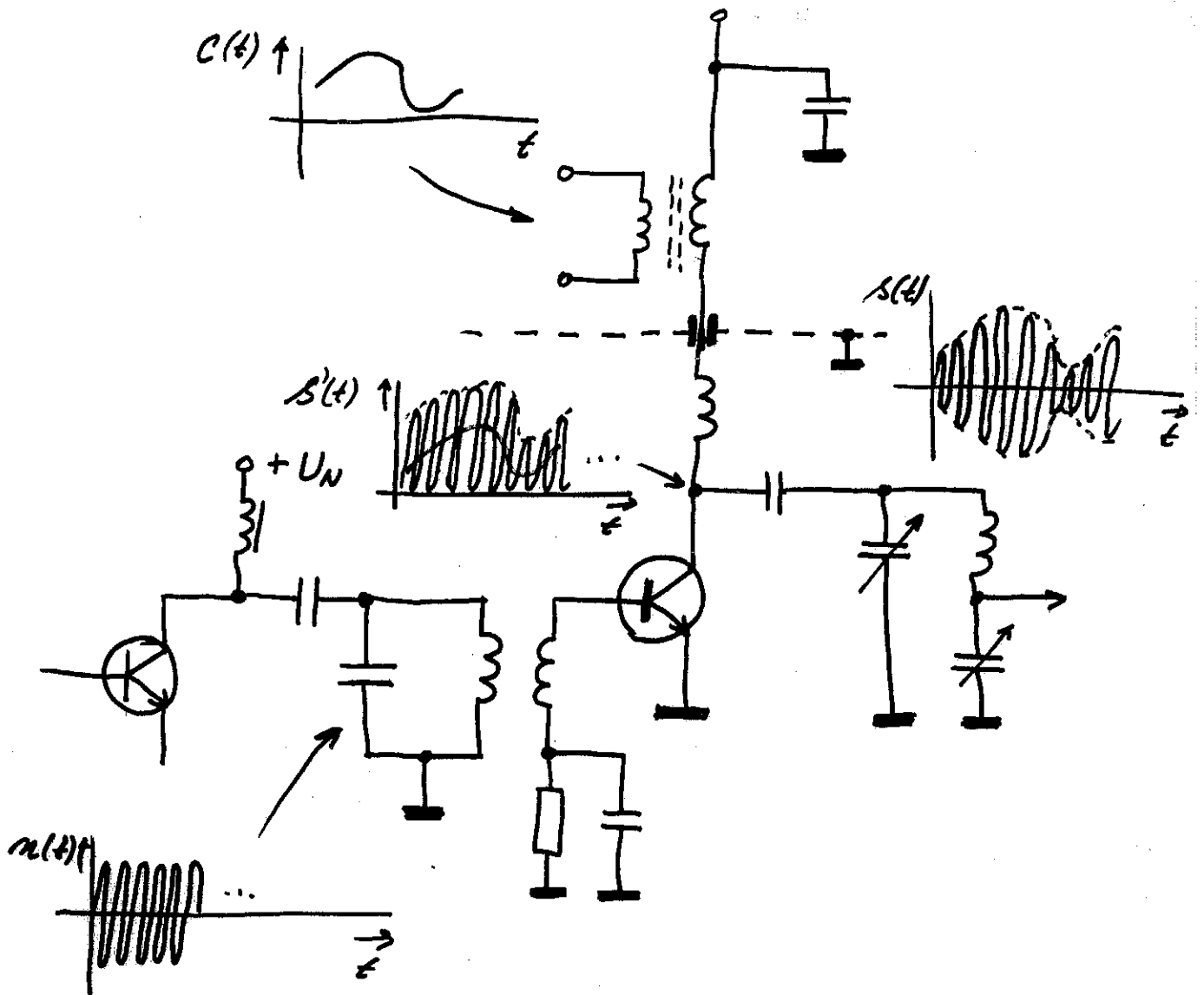


$$m(t) = A \cos \omega_0 t$$

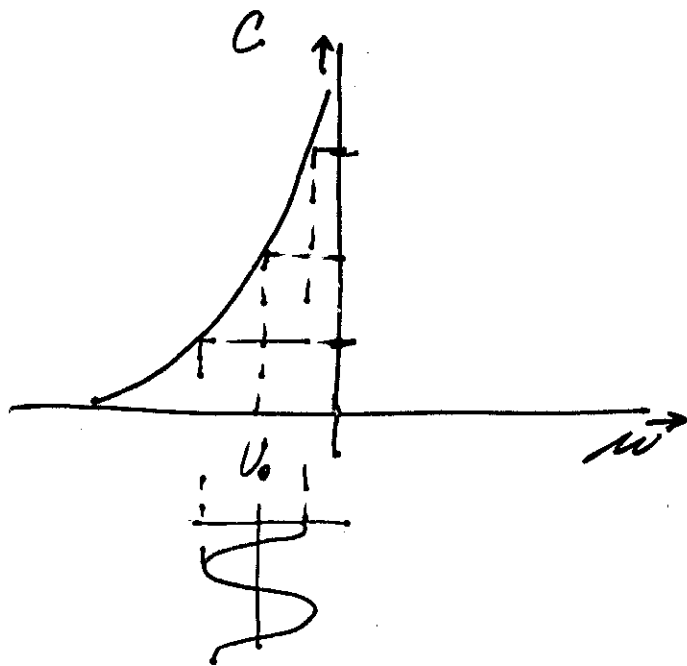
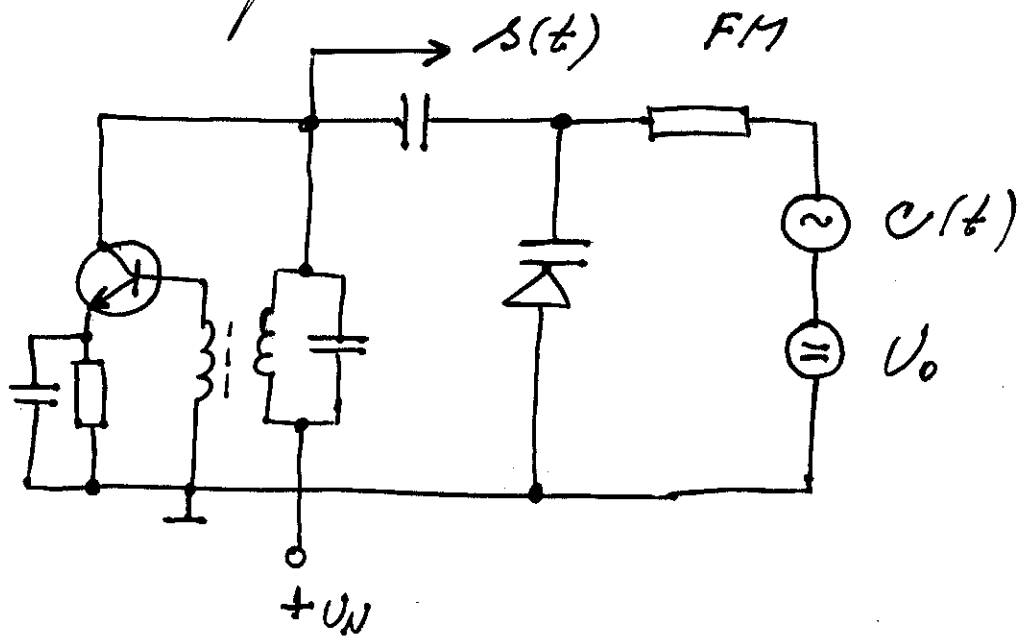


Jednoduchý výřezový AM aktivní modulátor



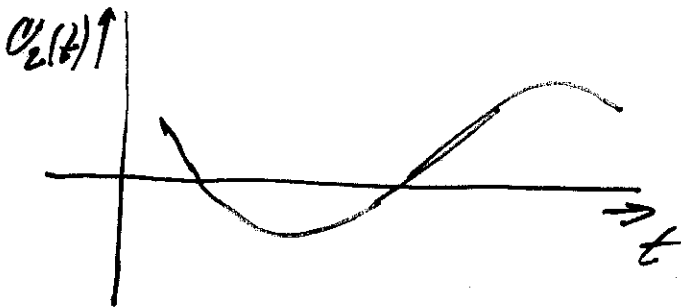
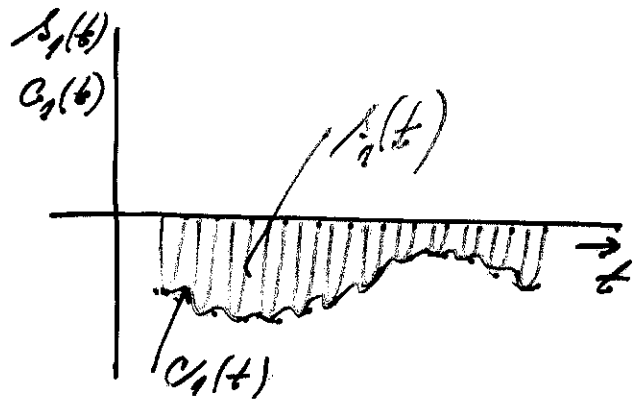
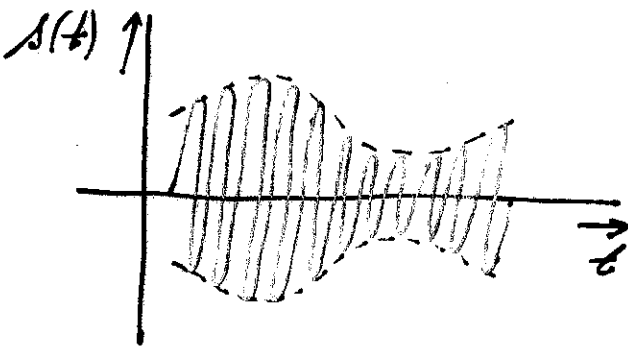
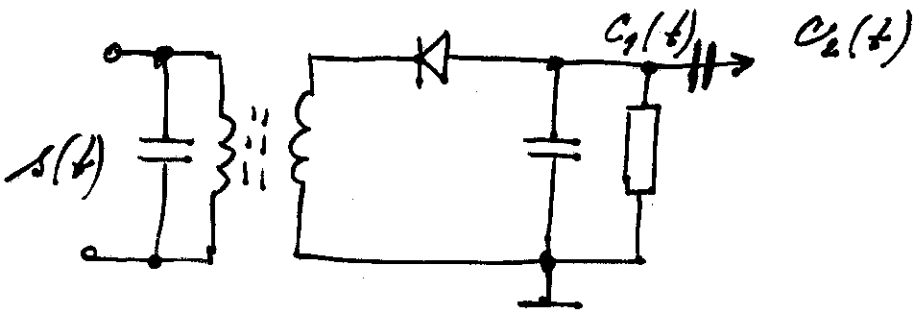


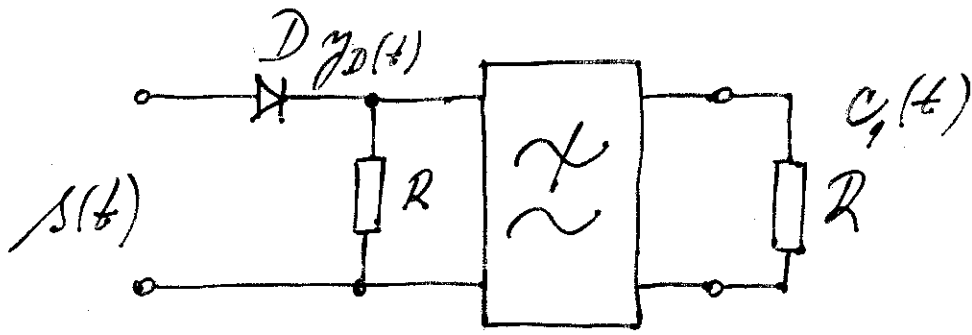
Kvadratoformų modelblor



Demodulátor

Demodulátor AM signálu

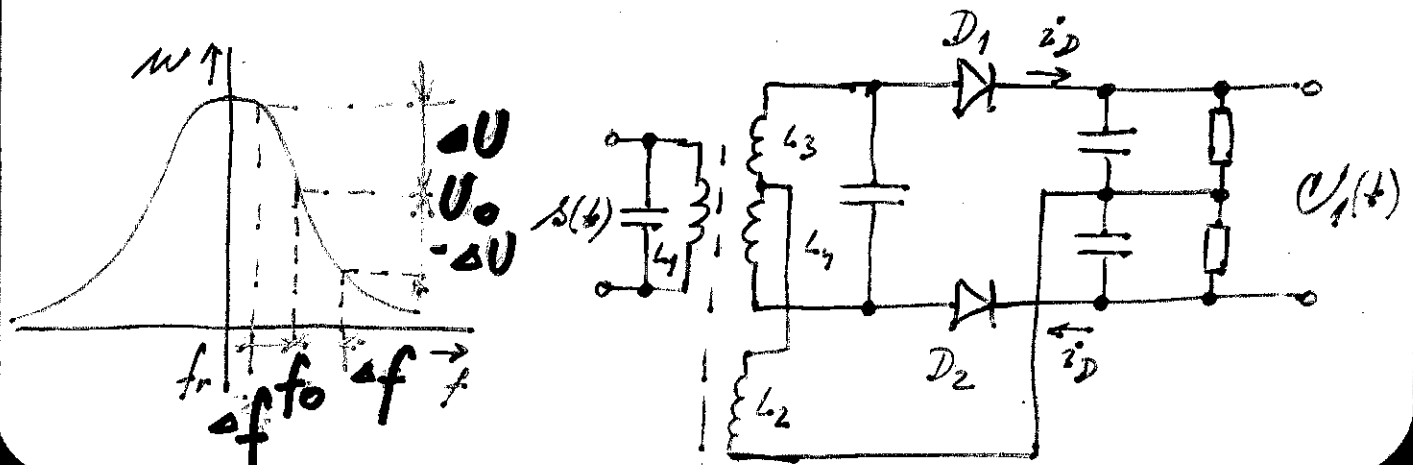




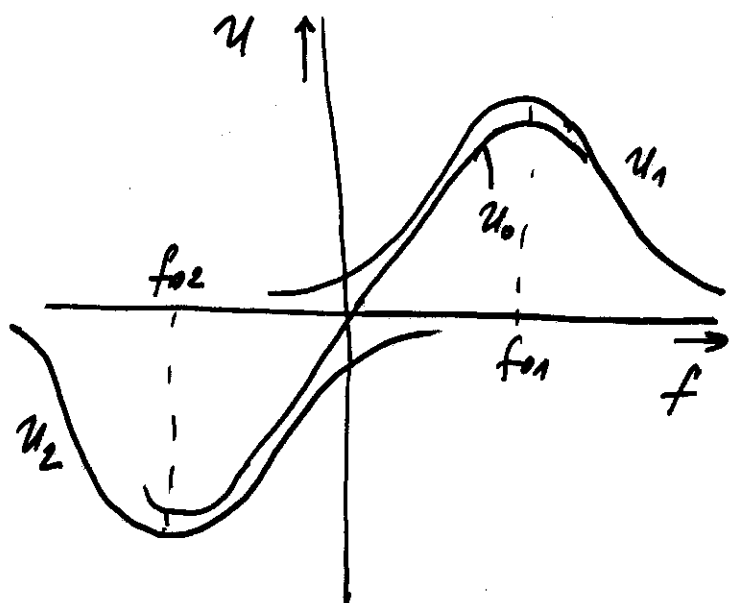
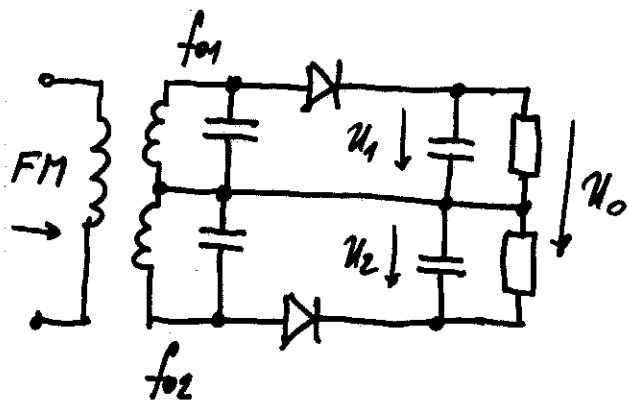
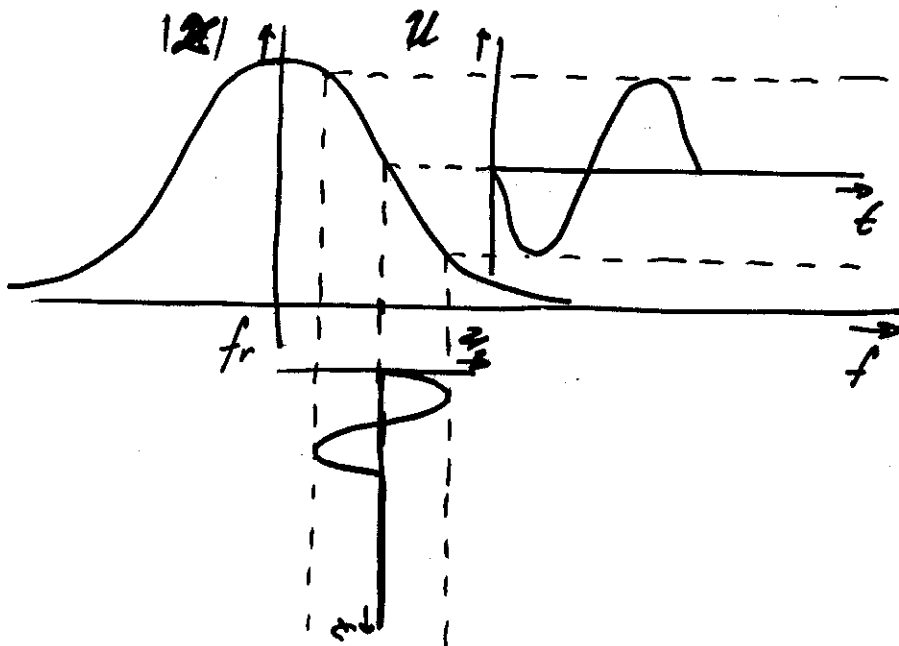
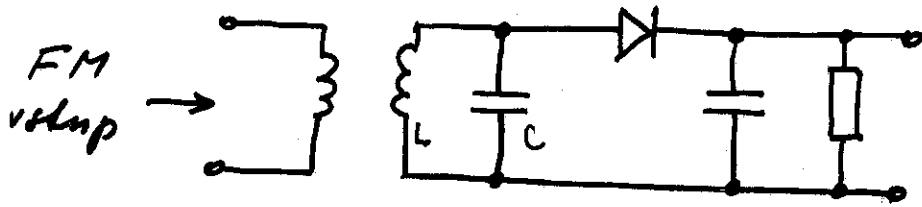
$$\begin{aligned}
 y_D(t) &= a_1 s(t) + a_2 s^2(t) = a_1 \{A + C(t)\} \cos \omega_0 t + \\
 &+ a_2 \{[A + C(t)] \cos \omega_0 t\}^2 = \\
 &= a_1 A \cos \omega_0 t + a_1 C(t) \cos \omega_0 t + a_2 A^2 \cos^2 \omega_0 t + \\
 &+ \underline{2 a_2 A C(t) \cos^2 \omega_0 t} + a_2 C^2(t) \cos^2 \omega_0 t = \\
 &= 2 a_2 A C(t) \cdot \frac{1}{2} \{1 + \cos 2\omega_0 t\} + \dots = \\
 &= \underline{a_2 A C(t)} + a_2 A C(t) \cos 2\omega_0 t + \dots
 \end{aligned}$$

Detektor FM signálu

Kmitočtový diskriminátor

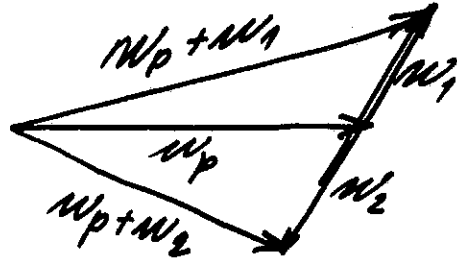
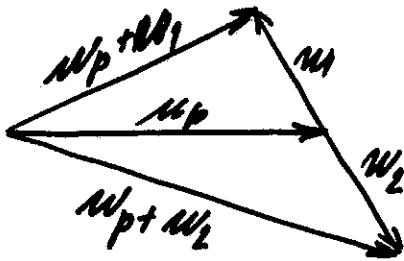
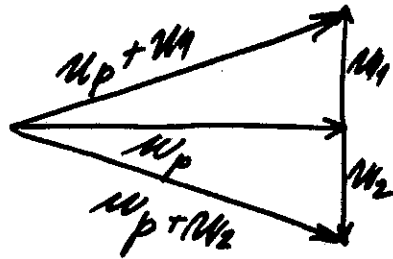
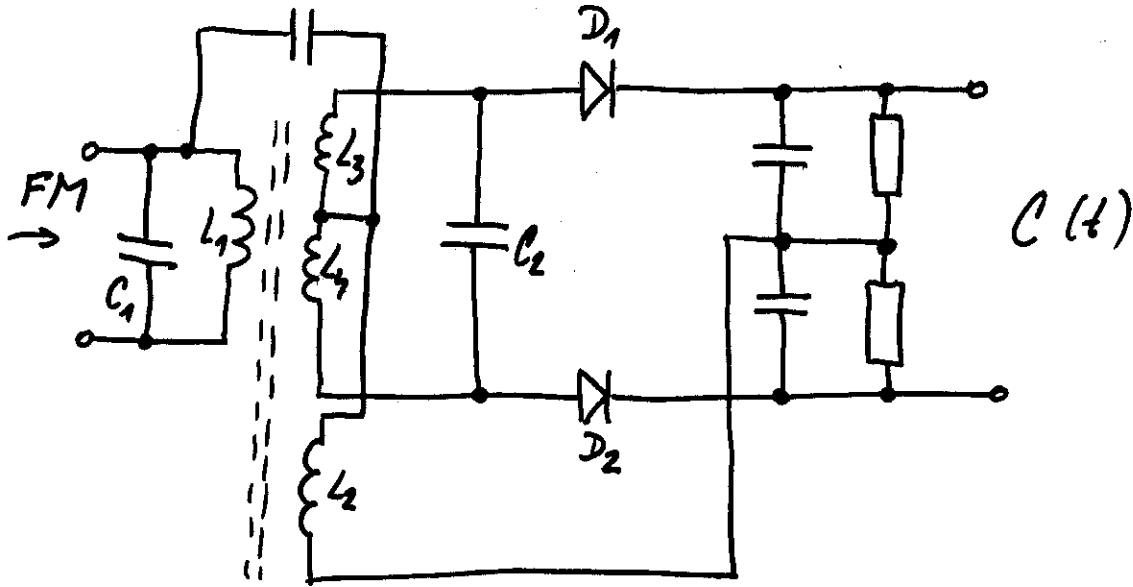


FM demodulátor (zákl. zapojenie)

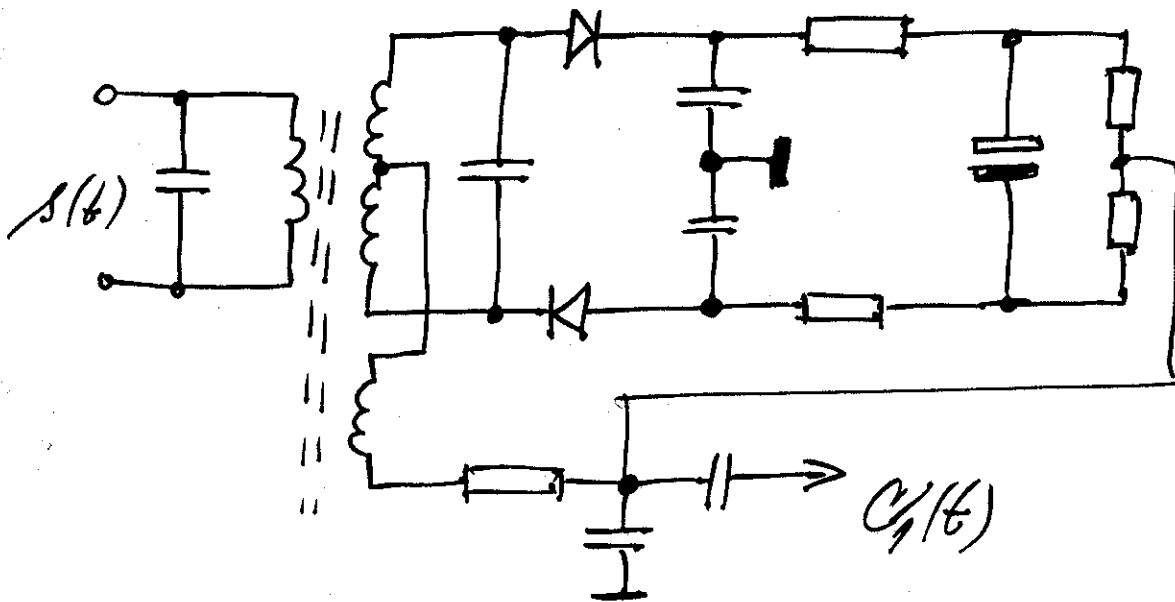


(fázový)

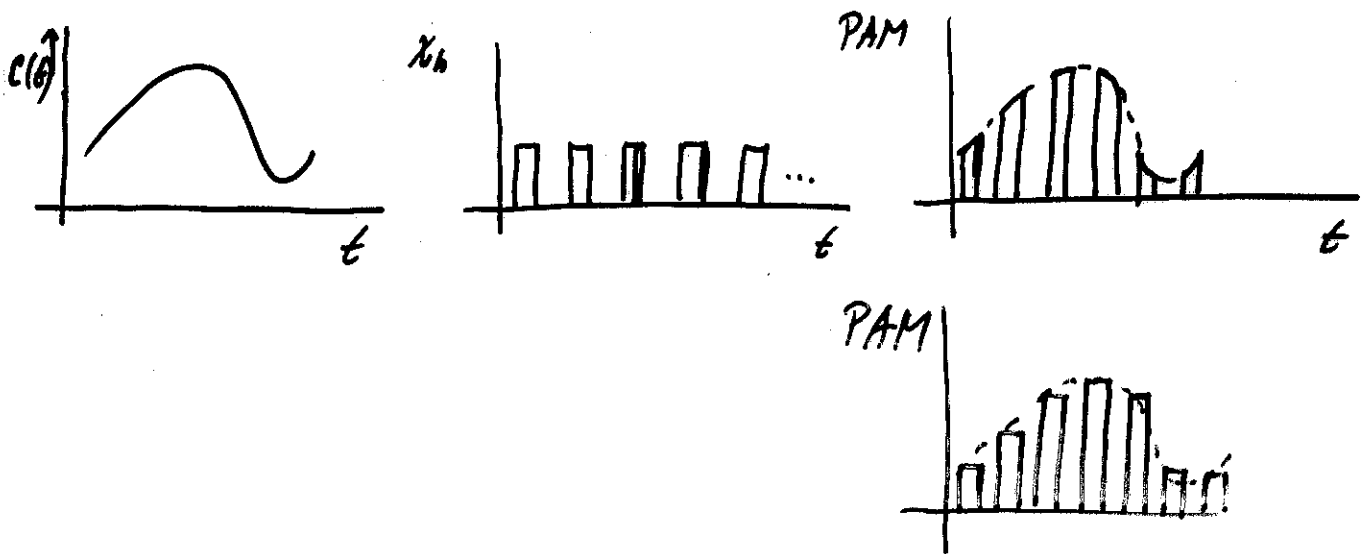
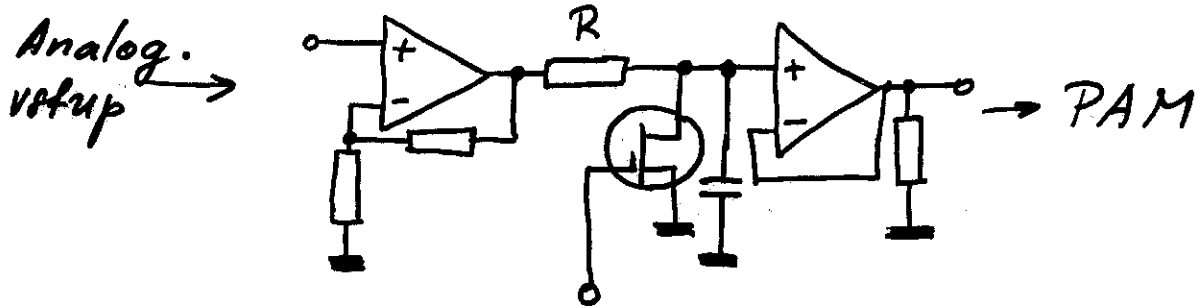
Kmitočtový diskriminátor



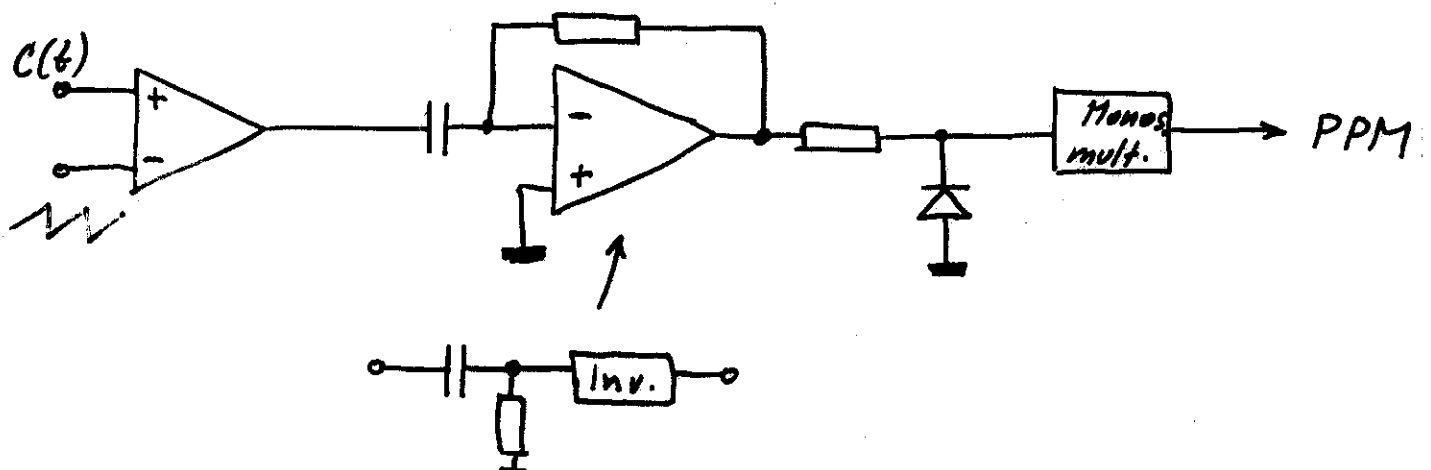
Pomerový detektor



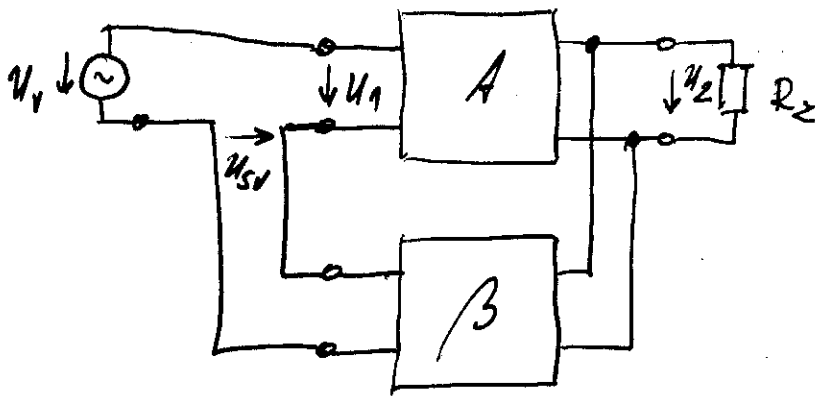
Impulzne amplitúdový modulátor



Impulzne šírkový a impulzne položový modulátor



OSCILATOR 4



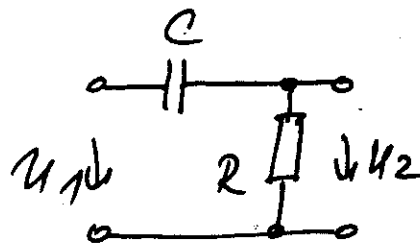
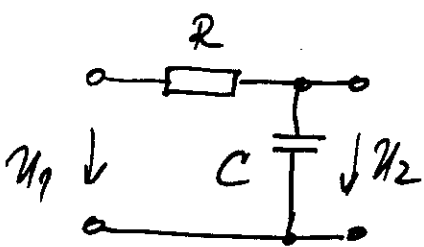
$$AB = \frac{A}{1+AB}$$

$$-AB = \frac{U_{sv}}{U_1}$$

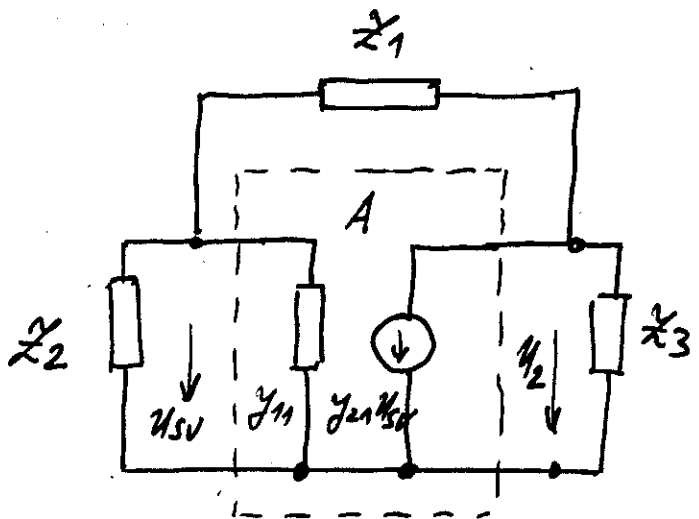
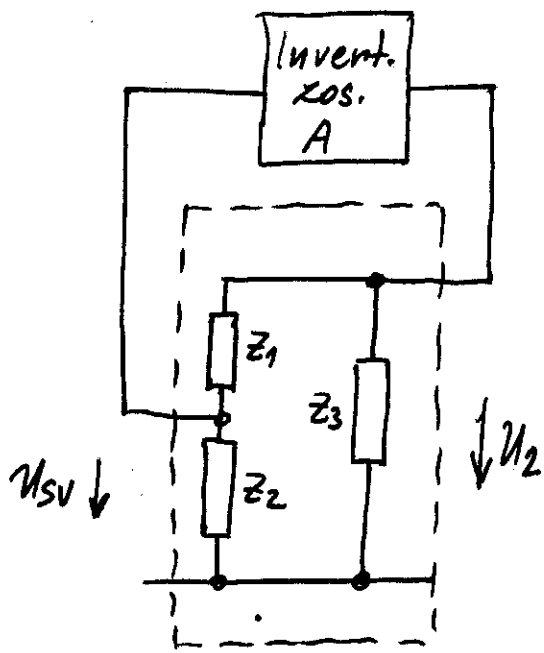
$$-AB = 1 \Rightarrow \left. \begin{array}{l} |AB| = 1 \\ \angle AB = 0 \end{array} \right\} -AB = 1 \angle 0$$

$$\angle A = -180^\circ \Rightarrow \angle B = -180^\circ$$

RC oscilator 4



$$K_u(\omega) = \frac{U_2}{U_1} = \left| \frac{U_2}{U_1} \right| e^{j\varphi} ; \quad \varphi \in (0^\circ; 90^\circ)$$



Șutășoracia imped. zosil. $Z_3 // (Z_1 + Z_2 // y_{11})$

$$Y_3 + \left[\frac{Y_1 (Y_2 + y_{11})}{Y_1 + Y_2 + y_{11}} \right]$$

$$U_2 = \frac{-y_{21} U_{sv}}{Y_3 + \left[\frac{Y_1 (Y_2 + y_{11})}{Y_1 + Y_2 + y_{11}} \right]} \Rightarrow A = \frac{U_2}{U_{sv}} = \frac{-y_{21}}{Y_3 + \left[\frac{Y_1 (Y_2 + y_{11})}{Y_1 + Y_2 + y_{11}} \right]}$$

$$U_{sv} = U_2 \frac{Z_2 // y_{11}}{Z_2 // y_{11} + Z_1} = U_2 \frac{\frac{1}{y_{11} + Y_2}}{\frac{1}{y_{11} + Y_2} + \frac{1}{Y_1}} = U_2 \frac{Y_1}{Y_1 + Y_2 + y_{11}}$$

$$\beta = \frac{U_{sv}}{U_2} = \frac{Y_1}{Y_1 + Y_2 + y_{11}}$$

$$AB = \frac{-y_{21} Y_1}{\left\{ Y_3 + \frac{Y_1 (Y_2 + y_{11})}{Y_1 + Y_2 + y_{11}} \right\} (Y_1 + Y_2 + y_{11})} = \frac{-y_{21} Y_1}{Y_3 (Y_1 + Y_2 + y_{11}) + Y_1 (Y_2 + y_{11})}$$

Barkhausenova podmienka

$$|A\beta| = 1 ; \varphi_{A\beta} = 0 ; 360^\circ$$

$$z_i = j\omega L_i, \text{ resp. } z_i = -j \frac{1}{\omega C_i}$$

$$Y_i = 1/z_i = 1/jX_i$$

$$A\beta = \frac{-y_{21} X_2 X_3}{y_{11}(X_1 X_2 + X_2 X_3) - j(X_1 + X_2 + X_3)}$$

$$\varphi_{A\beta}(\omega) = -180^\circ - \arctan \left\{ -\frac{(X_1 + X_2 + X_3)}{[y_{11}(X_1 X_2 + X_2 X_3)]} \right\}$$

$$\varphi_{A\beta}(\omega_0) \stackrel{!}{=} 0, \text{ resp. } 360^\circ \Rightarrow X_1 + X_2 + X_3 = 0$$

$$[A\beta]_{\omega_0} = \frac{-y_{21} X_3}{y_{11}(X_1 + X_3)}$$

$$X_1 + X_3 = -X_2$$

$$[A\beta]_{\omega_0} = \frac{-y_{21} X_3}{y_{11}(X_1 + X_3)} = \frac{y_{21} X_3}{y_{11} X_2}$$

$A\beta > 0$ (opätná orientácia usv)

↓

X_3, X_2 rovnaký charakter $\Rightarrow X_1$ opačný

$$A\beta = 1 = \frac{y_{21} X_3}{y_{11} X_2} \rightarrow$$

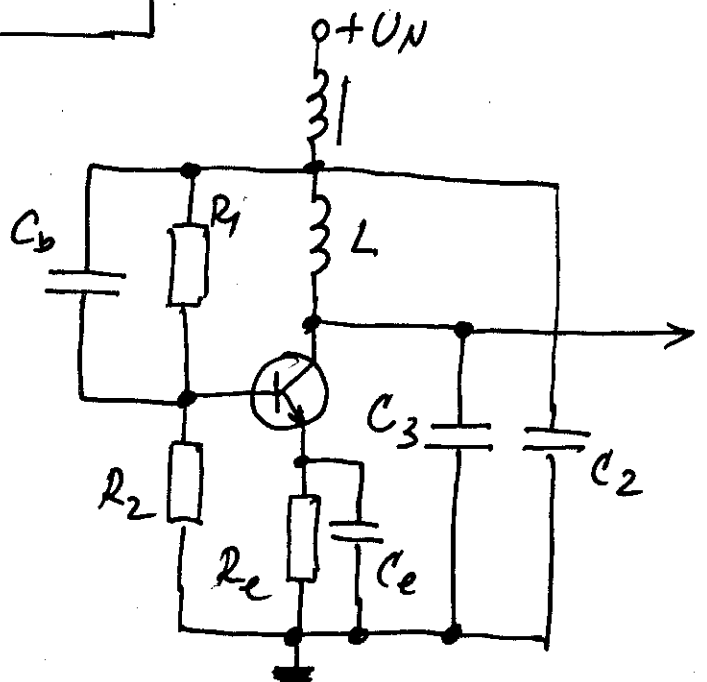
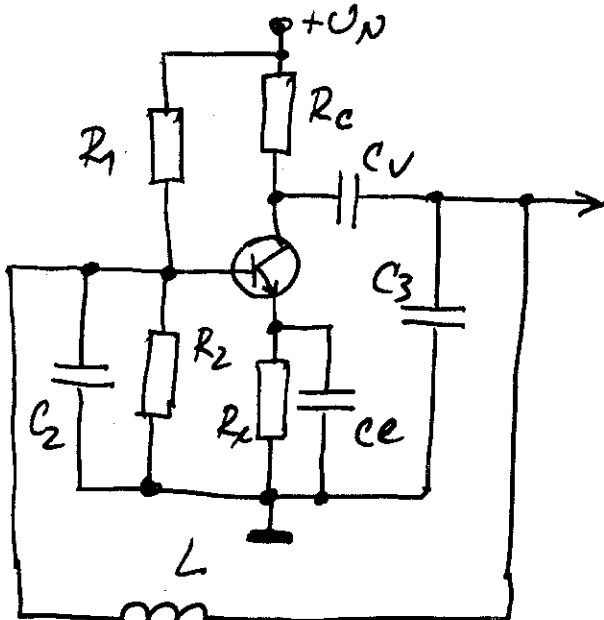
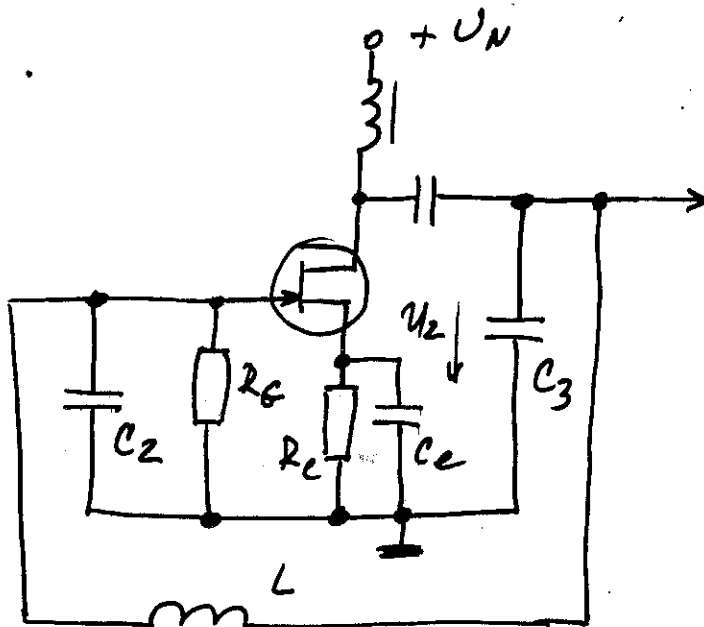
$$X_2 = X_3 \frac{y_{21}}{y_{11}}$$

COLPITTS-oscillator

Z_1 - inductance $\Rightarrow Z_2, Z_3$ capacity

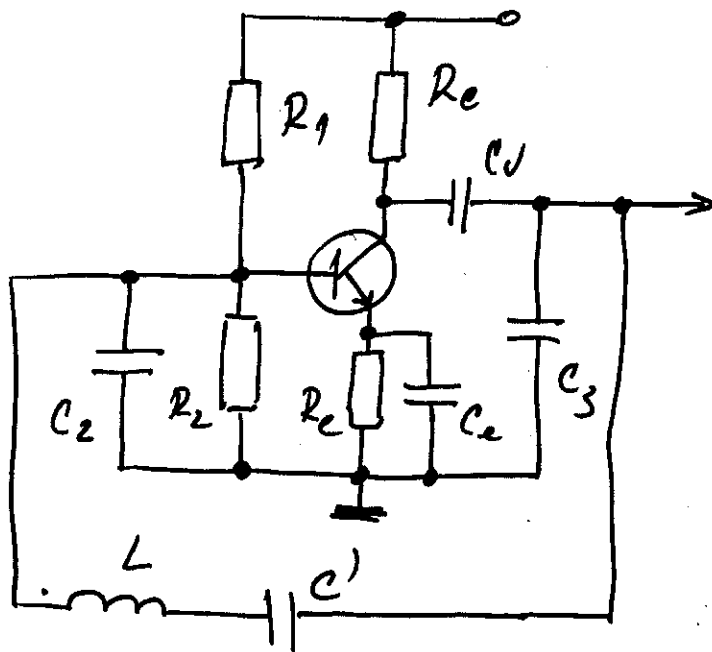
$$C_3 = C_2 \frac{y_{21}}{y_{11}} ; \omega_0 L - \frac{1}{\omega_0 C_2} - \frac{1}{\omega_0 C_3} = 0$$

$$f_0 = \frac{1}{2\pi \sqrt{L \frac{C_2 C_3}{C_2 + C_3}}}$$



CLAPP-ov oscilator

(3)



$$\text{as } C' \ll C_2 \text{ a } C_3 \rightarrow f_0 \approx \frac{1}{2\pi \sqrt{L \cdot C'}}$$

HARTLEY oscilator

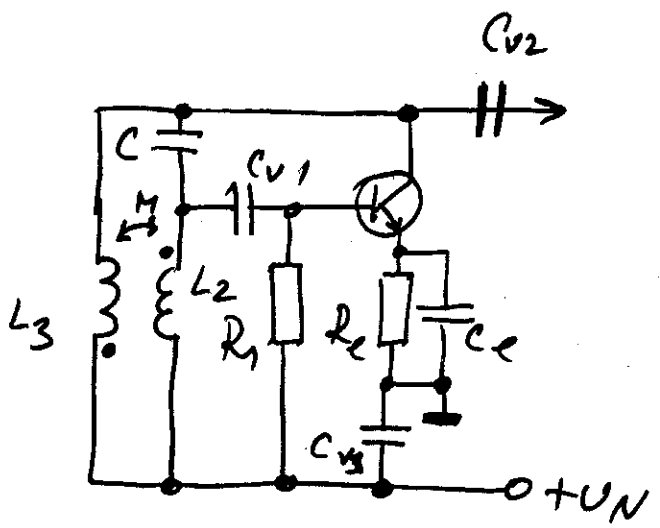
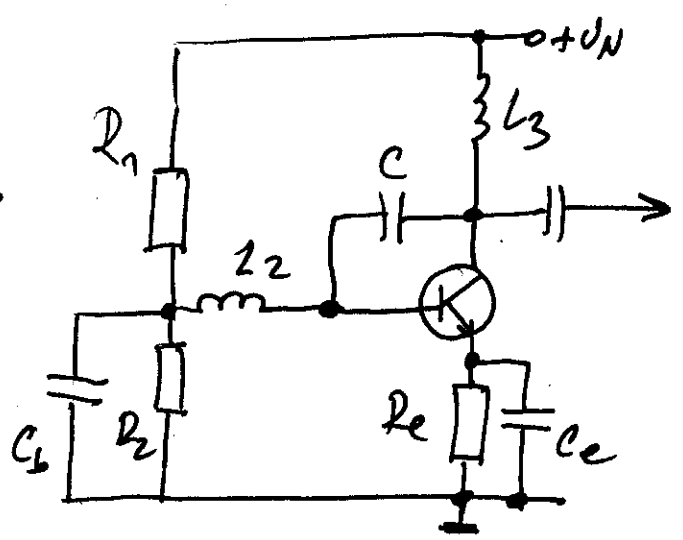
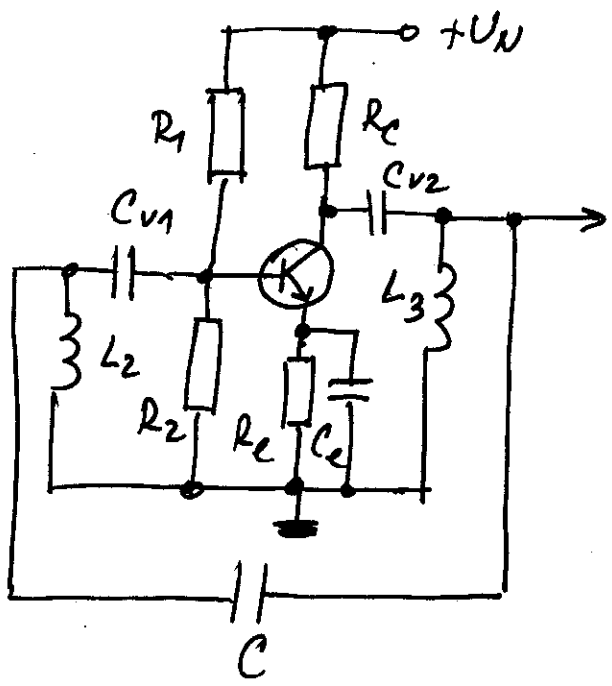
X_1 — kapacita

X_2, X_3 — indukčnosti

$$X_2 = X_3 \frac{y_{21}}{y_{11}} \rightarrow L_2 = L_3 \frac{y_{21}}{y_{11}}$$

$$-\frac{1}{\omega C} + \omega L_1 + \omega L_2 = 0 \Rightarrow$$

$$f_0 = \frac{1}{2\pi \sqrt{C(L_2 + L_3)}}$$



$$f_0 = \frac{1}{2\pi \sqrt{LC}}$$

$$L = L_2 + L_3 + 2M$$

NÁZOV:

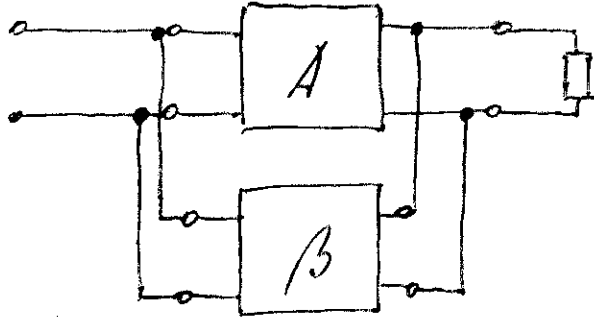
PREDMET:

ROČNÍK:

ČÍSLO:

ČÍSLO ZLOŽKY

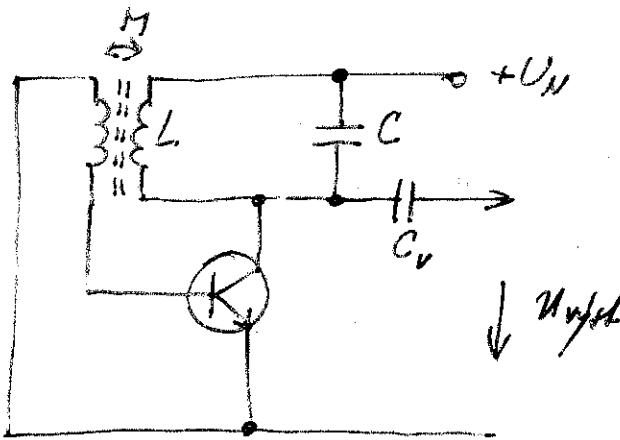
	4	3	a
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$$\beta A = 1$$

LC - oscilátory

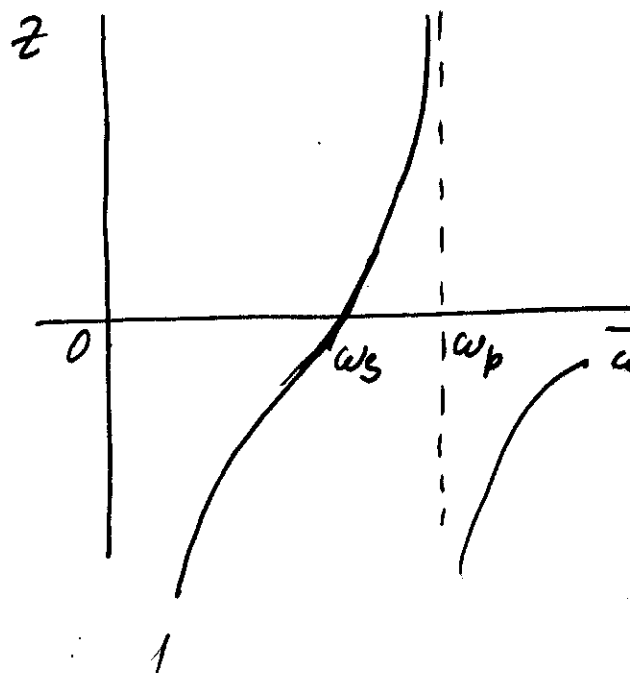
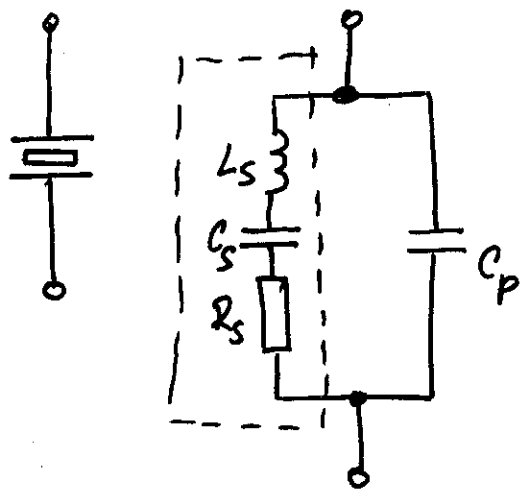
Transformátorový oscilátor



$$U_{\text{výst}} = U_{\text{výst}} \cos \omega_0 t$$

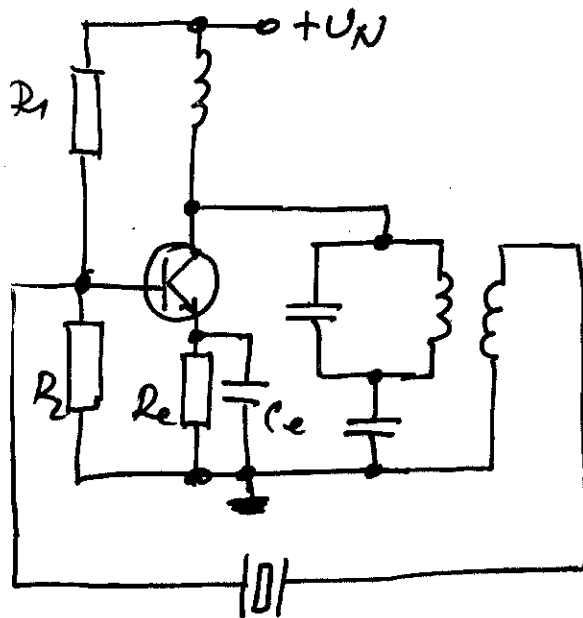
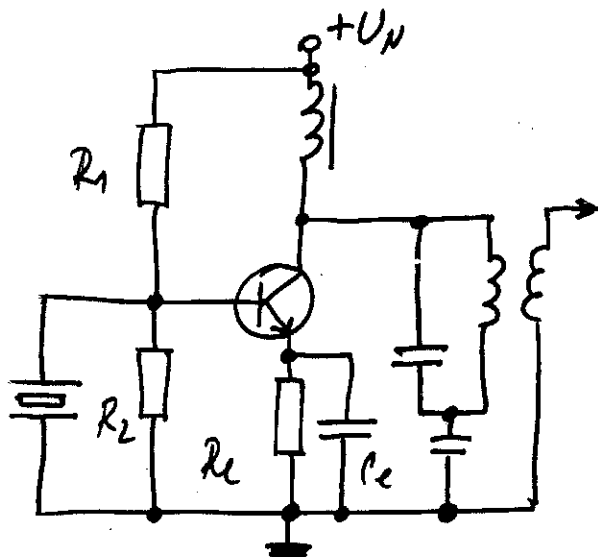
$$\omega_0 = \frac{1}{\sqrt{L(C+C_{ce})}}$$

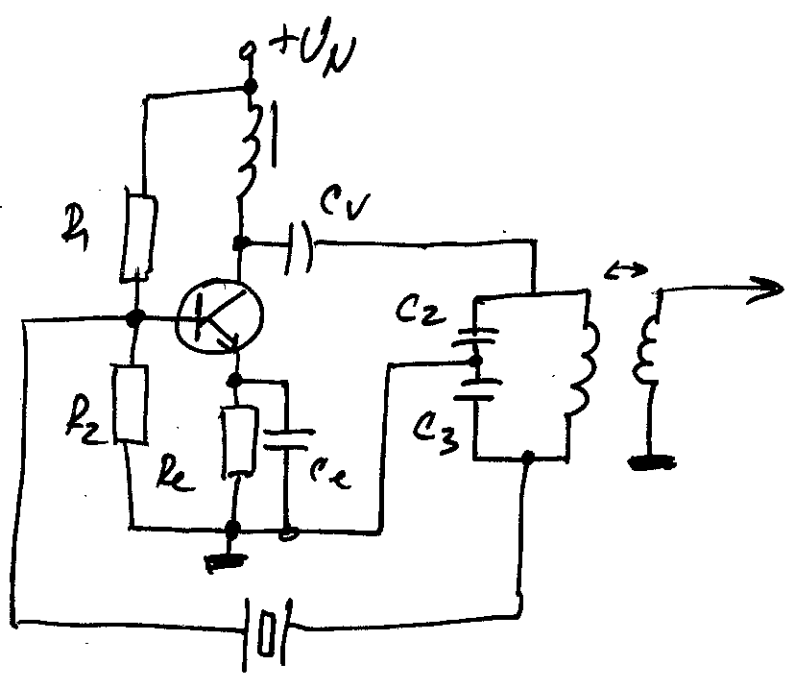
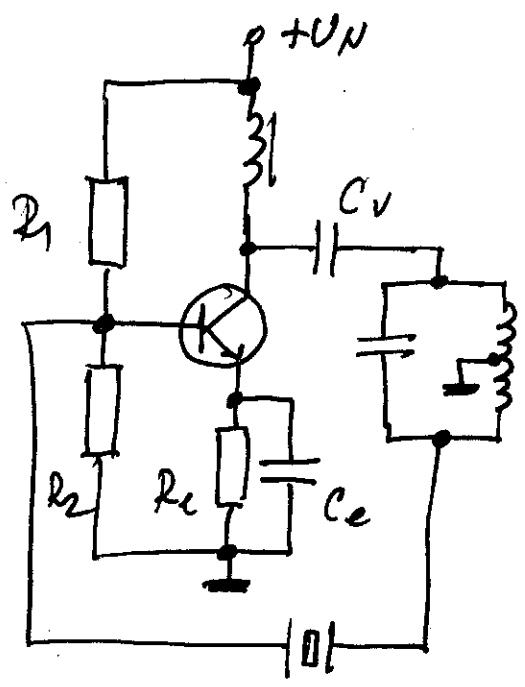
Krystalové oscilátory



$$\omega_s = \frac{1}{\sqrt{L_s C_s}}$$

$$\omega_p = \frac{1}{\sqrt{L_s \frac{C_s C_p}{C_s + C_p}}}$$





NÁZOV:

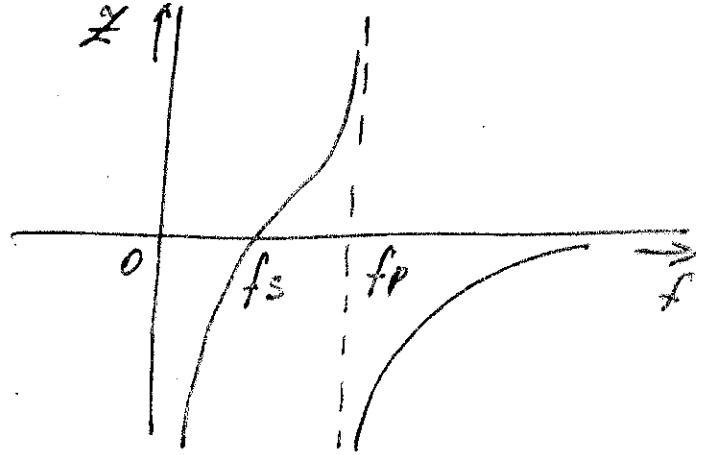
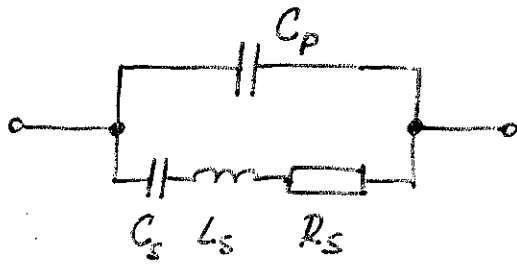
PŘEDMET:

ROČNÍK:

ČÍSLO:

ČÍSLO ZLOŽKY

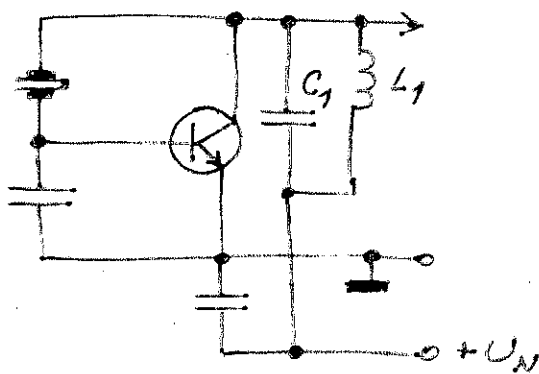
43C



$$\omega_s = \frac{1}{\sqrt{C_s L_s}}$$

$$\omega_p = \frac{1}{\sqrt{L_s \frac{C_s C_p}{C_s + C_p}}}$$

Pierceov oscilátor



NÁZOV:

PREDMET:

ROČNÍK:

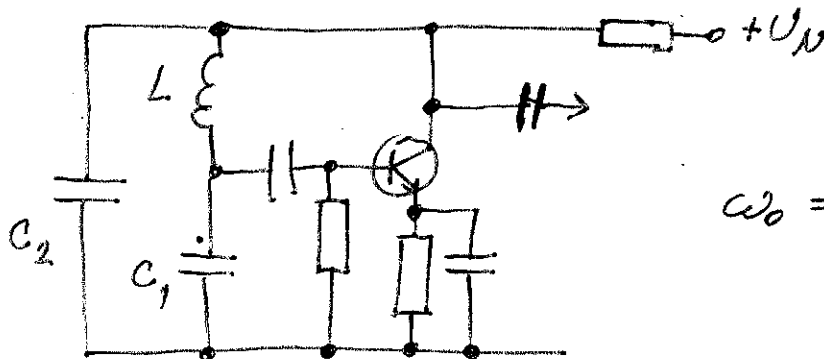
ČÍSLO:

ČÍSLO ZLOŽKY

4 3 6

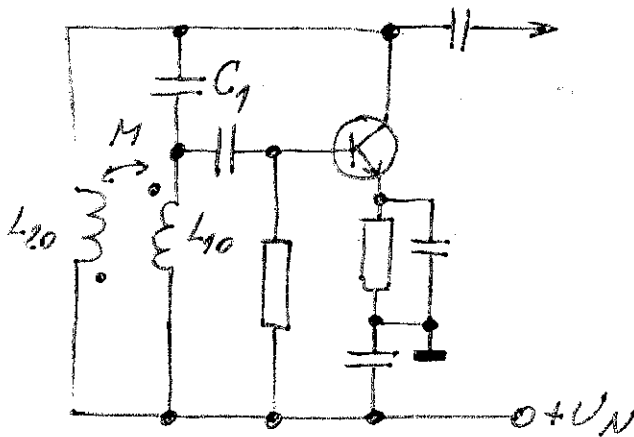
Trojbodové LC oscilátory

Colpittsov oscilátor



$$\omega_0 = \frac{1}{\sqrt{L \frac{C_1 C_2}{C_1 + C_2}}}$$

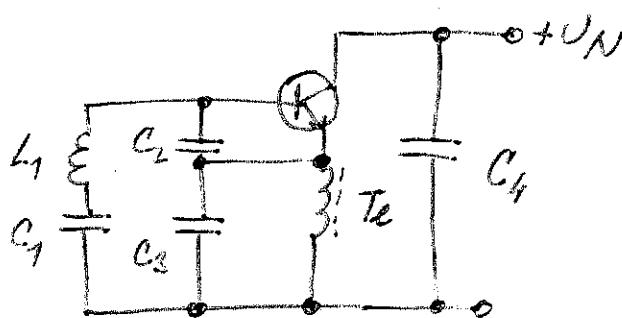
Hartlejev oscilátor



$$L_1 = L_{10} + L_{20} + 2M$$

$$\omega_0 = \frac{1}{L_1 C_1}$$

Clappov oscilátor



$$\omega_0 = \frac{1}{\sqrt{L_1 C_e}}$$

$$C_e = \frac{C_1 C_2 C_3}{C_1 C_2 + C_1 C_3 + C_2 C_3}$$

NÁZOV:

PREDMET:

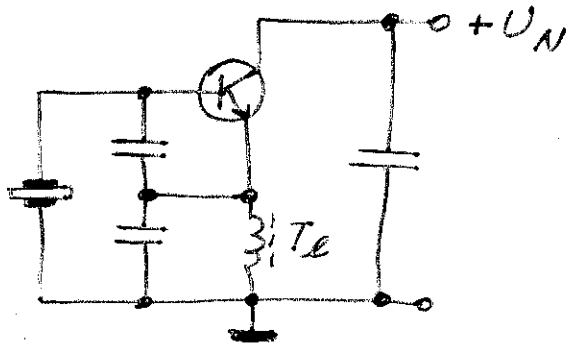
ROČNÍK:

ČÍSLO:

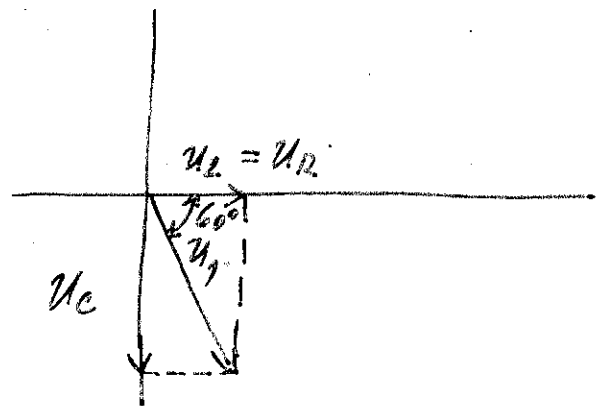
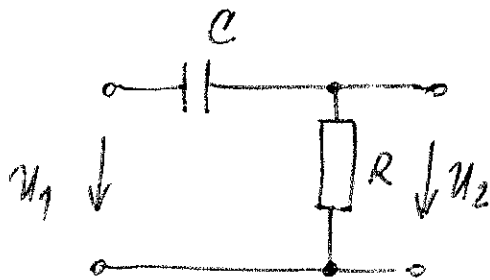
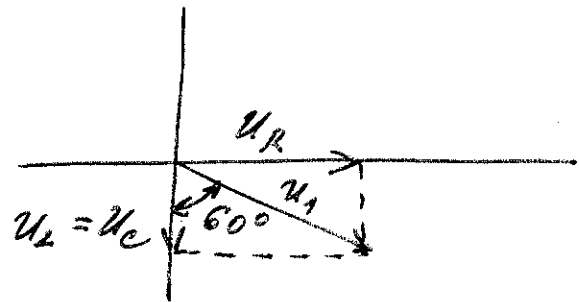
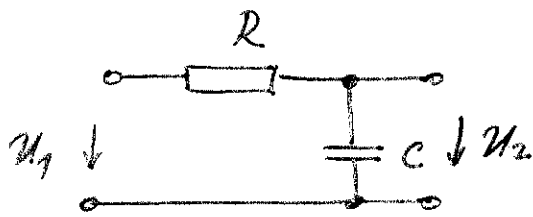
ČÍSLO ZLOŽKY

43d

Clappor oscilátor:



RC oscilatory



NÁZOV:

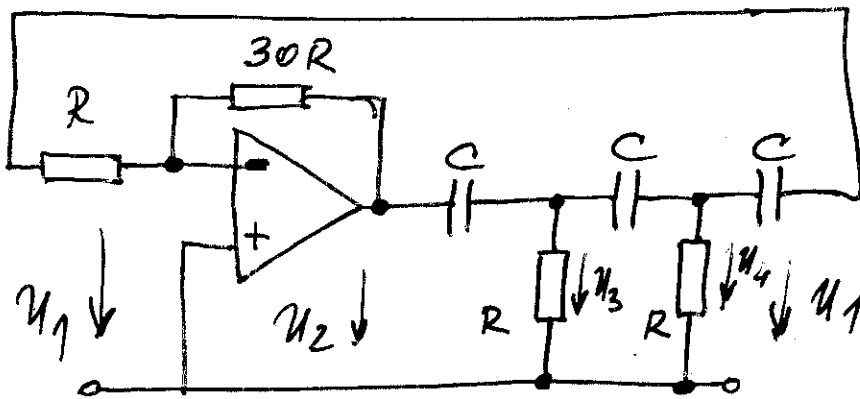
PŘEDMET:

ROČNÍK:

ČÍSLO:

ČÍSLO ZLOŽKY

43e



$$\beta = \frac{U_1}{U_2} = \frac{U_1}{U_3} \cdot \frac{U_3}{U_4} \cdot \frac{U_4}{U_2} =$$

$$= \frac{\omega^3 C^3 R^3}{(\omega^3 C^3 R^3 - 5\omega RC) - j(6\omega^2 C^2 R^2 - 1)}$$

$$\varphi_\beta(\omega) = \arctan \frac{6\omega^2 C^2 R^2 - 1}{\omega^3 C^3 R^3 - 5\omega RC}$$

$$6\omega_0^2 C^2 R^2 - 1 = 0$$

$$\varphi_\beta(\omega_0) = 0 \Rightarrow f_0 = \omega_0 / 2\pi = \frac{1}{2\pi \sqrt{6} CR}$$

potom

$$|\beta(\omega_0)| = \frac{1}{29}$$